



Development of NavIC Payload Signal Integrity & Coherency Test Receiver: Configurable for all GNSS Modulations

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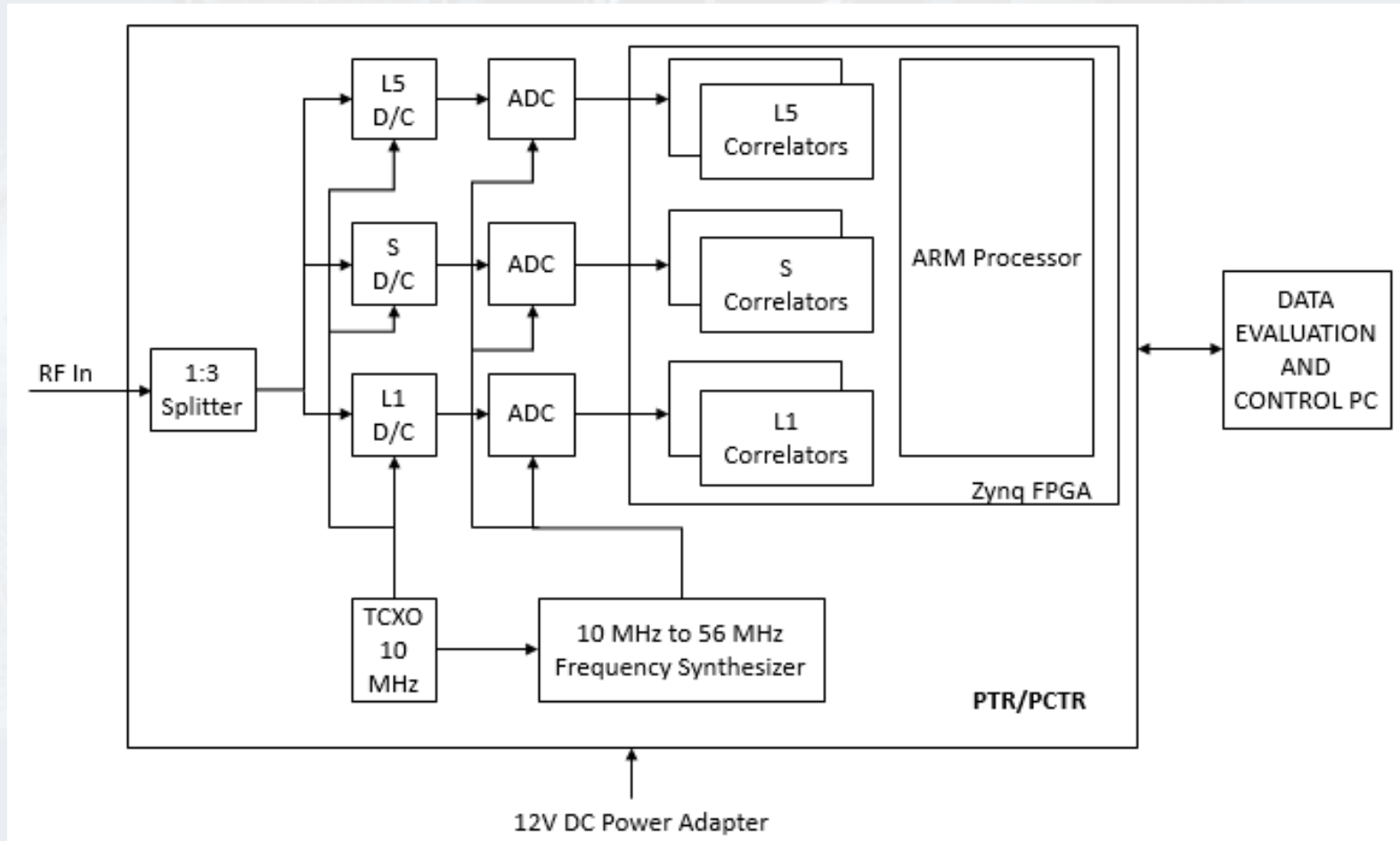
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Overview

- Navigation signal data integrity and code-carrier phase coherency between various signal components are of paramount importance for the efficient performance of the satellite navigation system.
- Special Class of Configurable Receiver is developed to evaluate data integrity and coherency parameters for the checkout of the NavIC payloads and satellites.
- This receiver is also used during In-Orbit Testing of the satellite as well as in Signal Monitoring Stations for NavIC.
- The receiver firmware is also configurable for the processing of various other open GNSS signals with variety of modulation schemes and data formats.

Salient Features

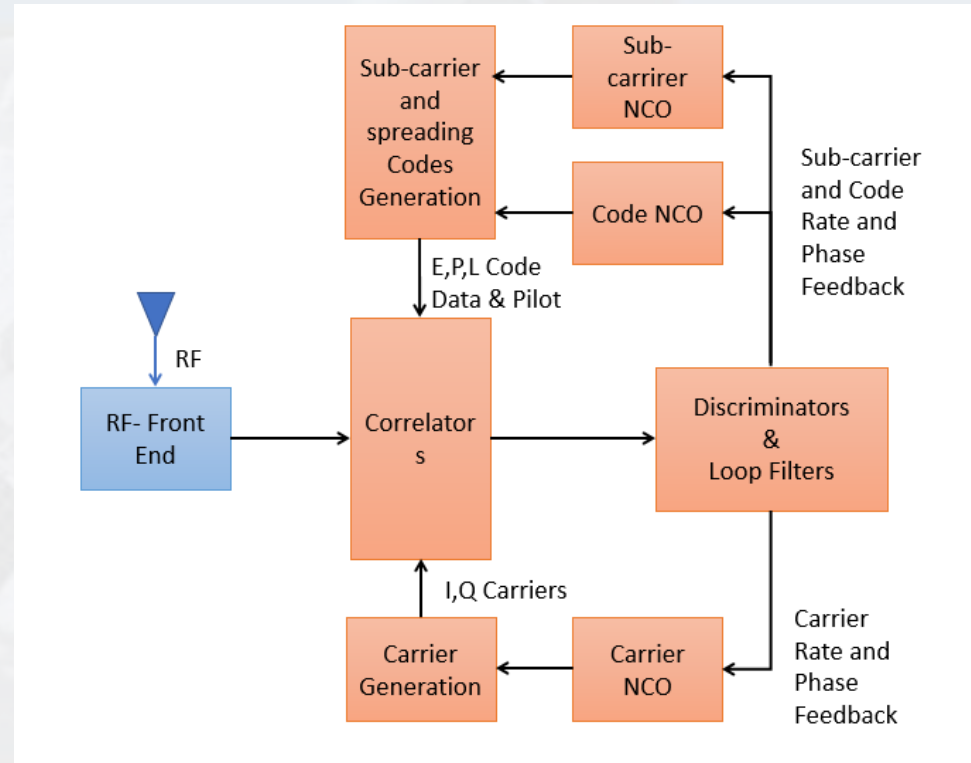
S. No.	Parameter	Specifications
1	Frequency Band	L5 (1176.45 MHz), L1 (1575.42 MHz), S (2492.028 MHz)
3	RF Bandwidth	24 MHz
4	Number of channels	26 Channels
5	Signal reception Capability	All IRNSS Signals in L1, L5 and S Band Configurable for open GNSS L1 Signals
6	Supported Modulation Schemes	BPSK (m) BOC (m,n) Multiplexed BOC (SBOC, CBOC etc.)
7	Output Data update rate	1 Hz
8	Output Data	Code Phase, Carrier Phase, Estimated Received signal Strength, Navigation Message after FEC Decoding
9	Code and Carrier Phase measurement precision	Within 10% of theoretical limits
10	Coherency Measurements (Inter and Intra Frequency Band)	Code-Code Coherency: 4 mm (13 ps) Code-Carrier Coherency: 3 mm (10 ps) Carrier-Carrier Coherency: 1 mm (3.33 ps)



Architecture of Payload Coherency Test Receiver

Universal Correlator

Constellation	Signal Supported	Modulation
NavIC	L5	BPSK(1), BOC(5,2)
	S	BPSK(1), BOC(5,2)
GPS	L1C	SBOC
	L1 C/A	BPSK(1)
	L1C	TMBOC
GLONASS	L5	QPSK(10)
	L10C	BPSK(1), BOC(1,1)
Galileo	E10S	CBOC(6,1,1/11)
	E5a,E5b	QPSK(10)



- Receiver Self Error Due To Thermal Noise

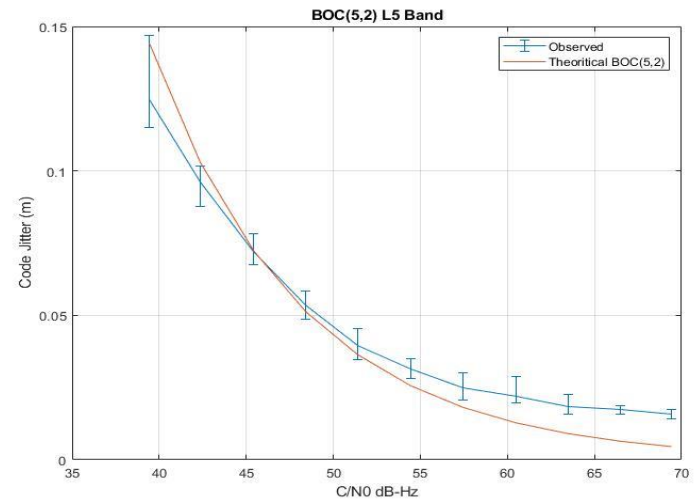
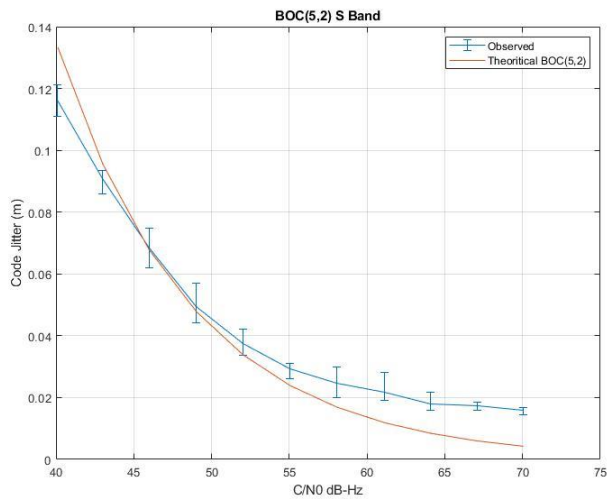
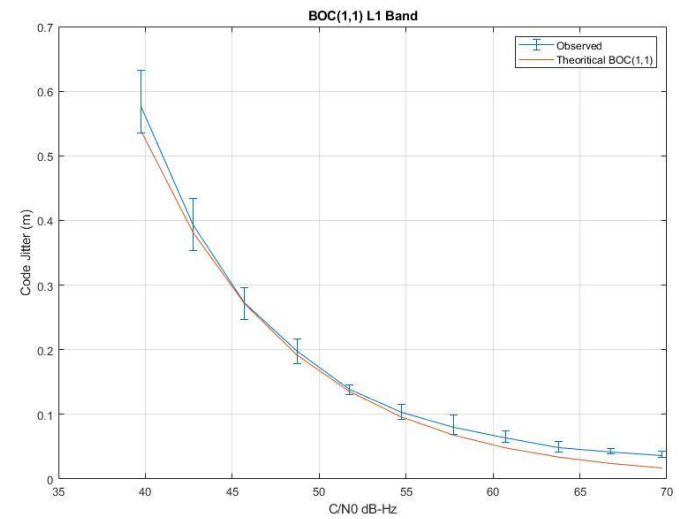
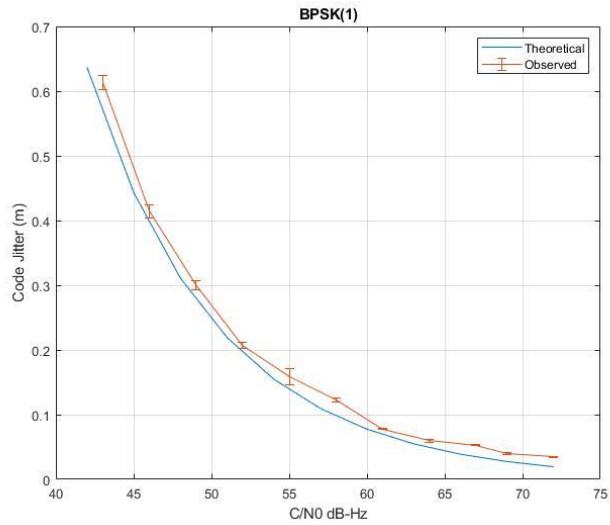
$$\sigma_{\text{nelp}}^2 = \frac{B_L(1-0.25B_L T) \int_{-\beta/2}^{\beta/2} G_s(f) \sin^2(\pi f \Delta) df}{C/N_0 \left(2\pi \int_{-\beta/2}^{\beta/2} f G_s(f) \sin(\pi f \Delta) df \right)^2} \left[1 + \frac{\int_{-\beta/2}^{\beta/2} G_s(f) \cos^2(\pi f \Delta) df}{T C/N_0 \left(\int_{-\beta/2}^{\beta/2} G_s(f) \cos(\pi f \Delta) df \right)^2} \right]$$

Parameter	DLL	SLL	PLL
Loop Filter Bandwidth	1	1	10
Chip Spacing	0.18/0.14	0.18/0.14	-

- Quantization in Frequency Tracking

$$\text{Quantization Step} = \frac{\text{Sampling Frequency} \times \text{Loop Update Period}}{2^{NCO \text{ Width}} \times \text{Measurement Inst. Period}}$$

Tracking Jitter Performance



Code-Code Coherency

- Fluctuations in the difference between code phase measurements of two signals over time is known as code-code coherency.

Methodology:

- Subtraction of two code-phase observables

$$\varepsilon_k^{i,j} = C_k^i - C_k^j$$

- Moving Average of N-samples

$$\bar{\varepsilon} = \frac{1}{N} \sum_{k=1}^N \varepsilon_k^{i,j}$$

- Variance of Moving Average

$$\sigma_{\bar{\varepsilon}}^2 = \frac{\sigma_{\varepsilon}^2}{N} = \frac{2\sigma_C^2}{N}$$

- Choose N to meet the accuracy requirements.
- Similar Method can be extended for Carrier-Carrier Measurements.

Code-Carrier Coherency

- Fluctuations in the difference between code phase and carrier phase measurements of single signals over time is known as code-carrier coherency.

Methodology:

- Subtraction of two code and carrier phase observables

$$\varepsilon_k^{i,j} = C_k^i - Car_k^j$$

- Moving Average of N-samples

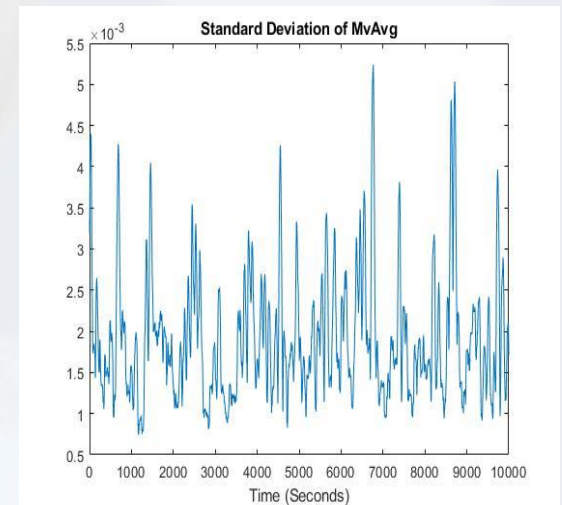
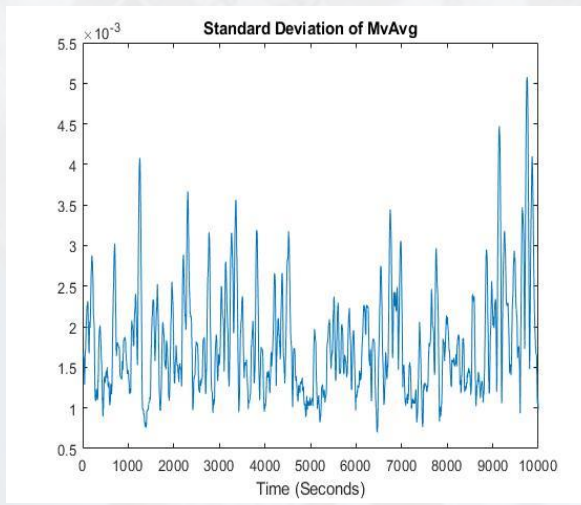
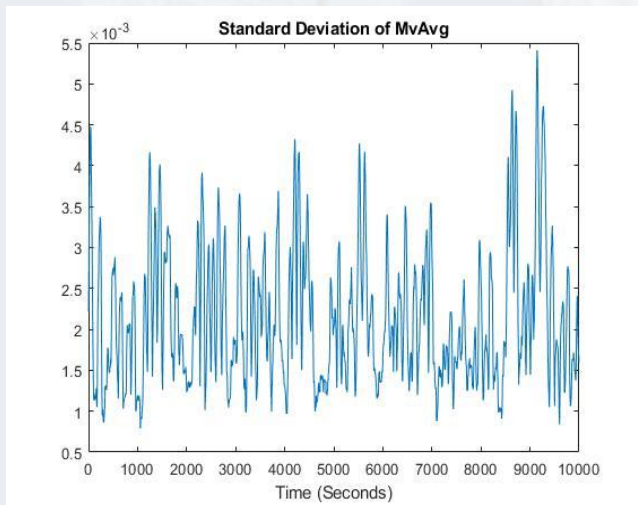
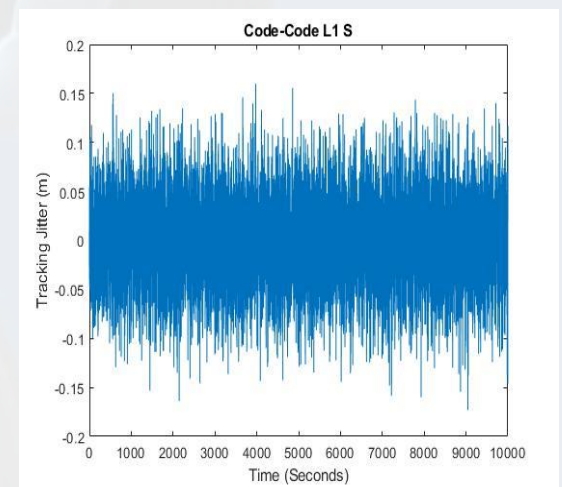
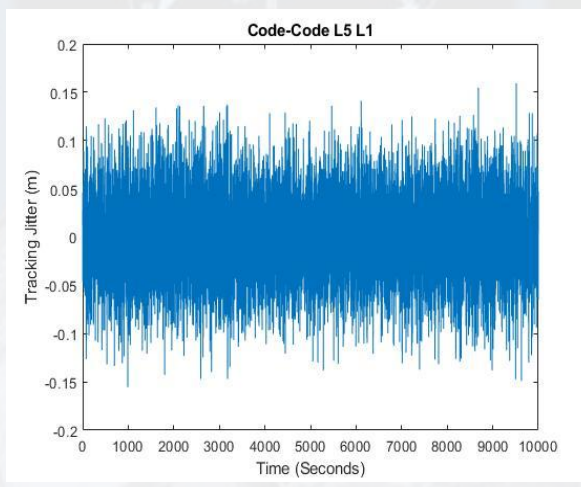
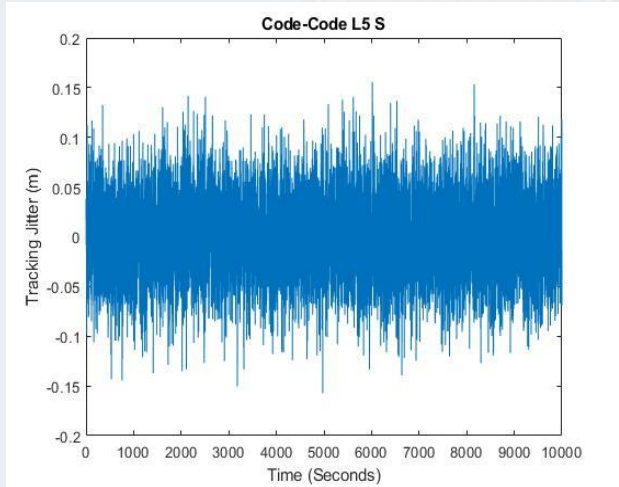
$$\bar{\varepsilon} = \frac{1}{N} \sum_{k=1}^N \varepsilon_k^{i,j}$$

- Variance of Moving Average

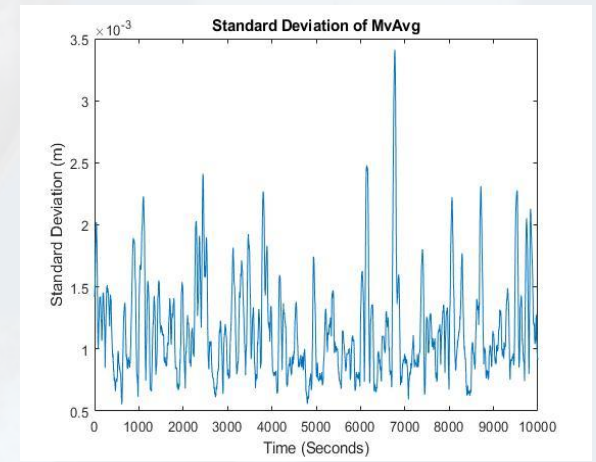
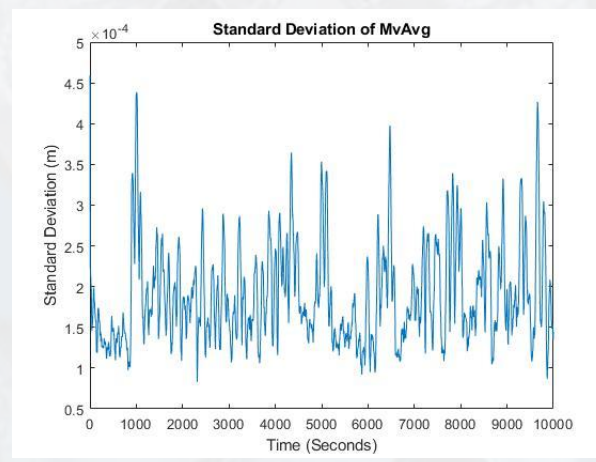
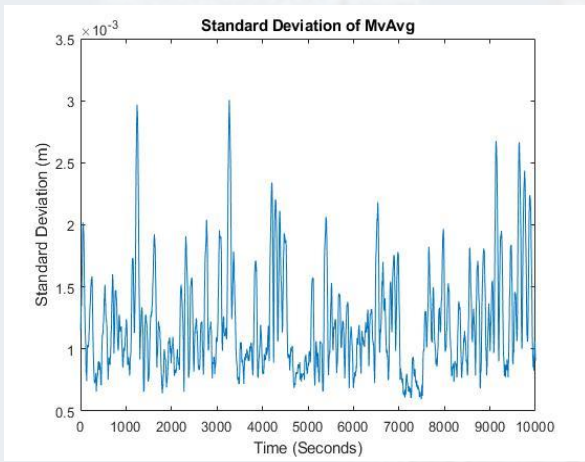
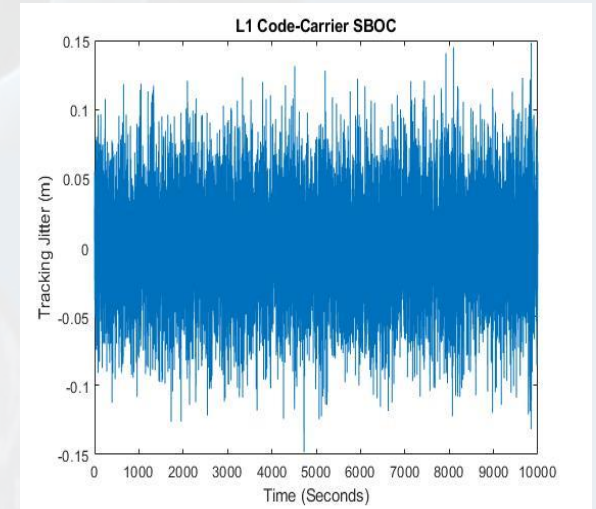
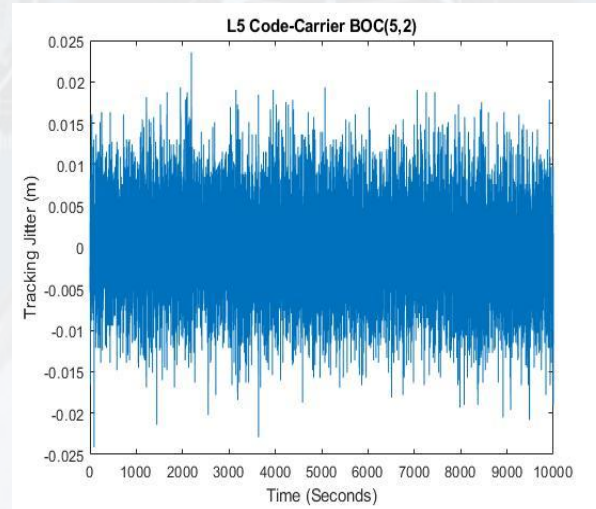
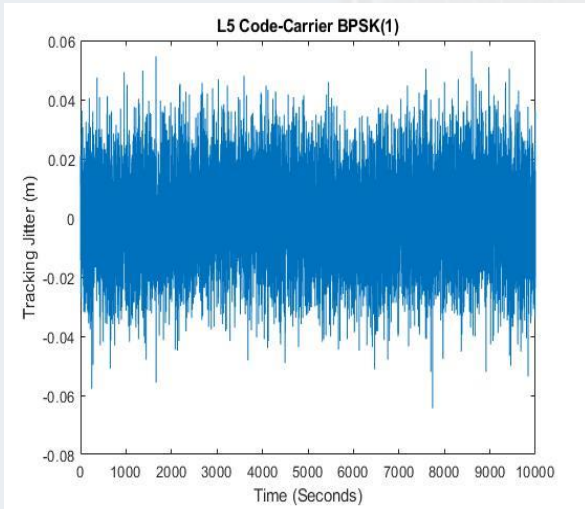
$$\sigma_{\bar{\varepsilon}}^2 = \frac{\sigma_{\varepsilon}^2}{N} = \frac{\sigma_C^2 + \sigma_{Car}^2}{N} \cong \frac{\sigma_C^2}{N}$$

As $\sigma_C^2 \ll \sigma_{Car}^2$

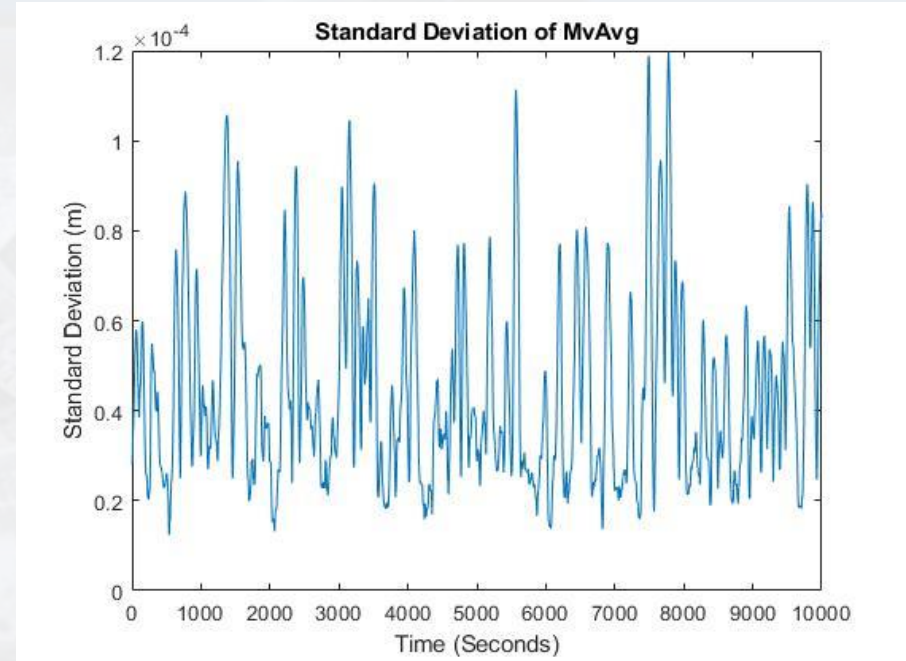
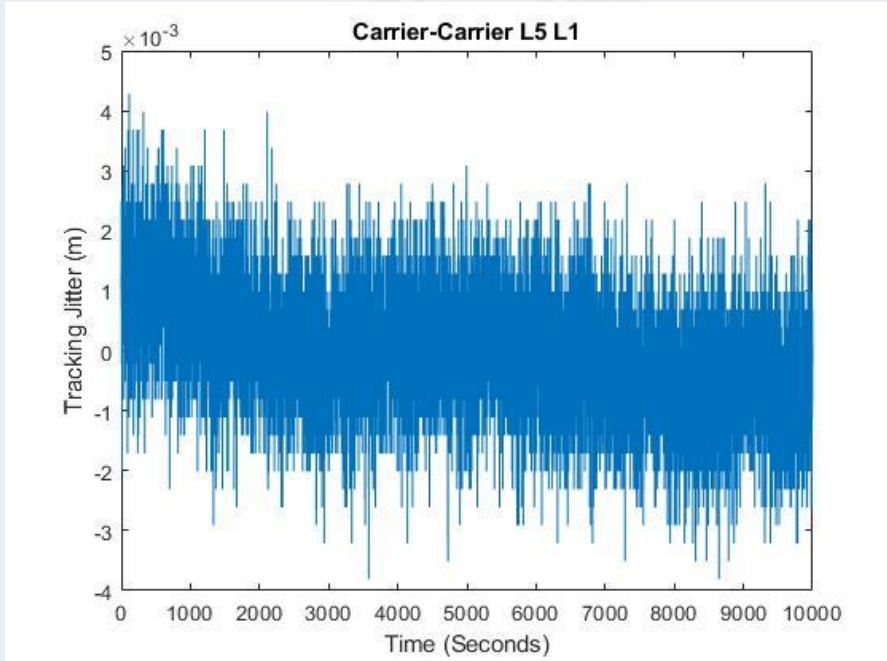
- Choose N to meet the accuracy requirements.



Code-Code Coherency Raw and Standard Deviation



Code-Carrier Coherency Raw and Standard Deviation



Carrier-Carrier Raw and Standard Deviation

